

CORRECTIONS AND IMPROVEMENTS

23 July 2025

Chapter 27

page 580, line -15f ~~and by a similar argument as in the proof of COROLLARY 26.8, one can show that $\mathbb{L}_{\mathcal{U}}$ has the Laver property.~~ However, for ultrafilters $\mathcal{U} \subseteq [\omega]^\omega$, the forcing notion $\mathbb{L}_{\mathcal{U}}$ generally does not have the Laver property.

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page 631, line 21 ~~$\mathbb{L}_{\mathcal{U}}$ has the Laver property, 580~~