

Package ‘glmmlasso’

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Type Package

Title Generalized Linear Mixed Models with Lasso

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Description This package fits generalized linear mixed models for high-dimensional data ($n \ll p$) using a Lasso-type approach for the fixed-effects parameter.

Depends methods, Matrix(>= 0.9996875-1), lme4, glmnet

License GPL

LazyLoad yes

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glmmlasso-package *glmmlasso*

Description

Fits generalized linear mixed models with a Lasso penalty for the fixed effects.

Details

```

Package:    glmmlasso
Type:       Package
Version:    0.1-1
Date:       2011-09-13
License:    GPL
LazyLoad:   yes

```

This is the first version of the package and subject to testing.

Author(s)

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glmmlasso

Function to fit high-dimensional generalized linear mixed models.

Description

Fits the solution for a high-dimensional generalized linear mixed model.

Usage

```
glmmlasso(y, ...)
```

```
## Default S3 method:
```

```

glmmlasso(y, group, X, Z = NULL, family = c("binomial", "poisson"),
  covStruct = c("Identity", "Diagonal"), lambda, weights = NULL,
  coefInit = NULL, exactStep = FALSE, exactDeriv = FALSE, random = NULL,
  unpenalized = 1:stot, ranInd = 1:stot,
  control = glmmlassoControl(family = family), ...)

```

Arguments

y	response variable of length n.
group	grouping variable of length n.
X	fixed-effects matrix as an n x p matrix. An intercept has to be included in the first column as (1,...,1).
Z	random-effects matrix as an n x q matrix, must be in sparse Matrix format (see package Matrix).
family	GLM family. Currently only "binomial" and "poisson" are implemented.
covStruct	Covariance Structure to be used. "Identity" fits $\Sigma_{\theta} = \theta^2 \mathbf{1}_q$, i.e. one single covariance parameter for all random effects. "Diagonal" fits a diagonal matrix for Σ_{θ} , i.e. for each random effect a different covariance parameter
lambda	non-negative regularization parameter
weights	weights for the fixed-effects covariates: NA means no penalization, 0 means drop this covariate ; if given, the argument unpenalized is ignored. By default each covariate has weight 1

coefInit	starting values. They must be of the same length as the model to be fitted, i.e. the number of variables p , the number of random-effects q and the number of covariance parameters $stot$ must coincide. Otherwise a warning is issued.
exactStep	logical. Should the Armijo step include the update of the random effects u to ensure that the objective function strictly decreases?
exactDeriv	logical. Should the exact derivate be calculated or the derivative for fixed random effects u .
random	expression for the random-effects structure for non-correlated random effects of the form "(1 group)+(0+X2 group)+(0+X3 group)". It is used only for generating the corresponding Z matrix, and it dominates the Z matrix, i.e. if random and a Z matrix is given, the Z matrix corresponding to random is used.
unpenalized	indices as subset of $\{1, \dots, p\}$ indicating which fixed-effects covariates are not subject to the ℓ_1 -penalty. Ignored if weights is given.
ranInd	indices of the random effects as subset of $\{1, \dots, p\}$. Only used for <code>summary.glmmlasso</code> . They need to be specified if the random-effects covariates do not correspond to the first columns in X .
control	control parameters for the algorithm, see <code>lmmlassoControl</code> for the details
...	not used.

Details

All the details of the algorithm can be found in the article.

Concerning `logLik`, `deviance`, `aic` and `bic`, we have to be very careful when comparing them with other generalized linear mixed model functions. If we study a low-dimensional data example and set $\lambda = 0$, the log-likelihood is calculated as given in the paper. Deviance, `aic` and `bic` are computed such that they coincide with the results from `glmer` from the `lme4` package. The latter does not employ the standard definitions of deviance and log-likelihood function value. Nevertheless, the differences only depends on constants, and not the parameters.

Value

A `glmmlasso` object is returned, for which `coef`, `resid`, `fitted`, `logLik` `print`, `summary`, `plot` methods exist.

<code>fixef</code>	fixed-effects parameter beta
<code>coefficients</code>	fixed-effects parameter beta
<code>theta</code>	covariance parameter estimates
<code>ranef</code>	random effects in sparse vector format
<code>u</code>	random effects in dense vector format
<code>objective</code>	Value of the objective function corresponding to the estimates
<code>logLik</code>	value of the log-likelihood function. See details.
<code>deviance</code>	value of the deviance function. See details.
<code>aic</code>	AIC. See details.
<code>bic</code>	BIC. See details.
<code>activeSet</code>	Indices of the non-zero fixed-effects coefficients.
<code>eta</code>	The linear predictor at the current values.
<code>mu</code>	The conditional expectation of the response at the current values.

fitted	The fitted values at the current values.
lambda	non-negative regularization parameter
weights	weights (possible adapted to the argument weights)
data	data. List with y, group, X and Z
family	GLM family used.
ntot	total number of observations
p	number of fixed-effects parameters
N	number of groups/clusters
unpenalized	indices of the non-penalized fixed-effects covariates
ranInd	indices of the random effects as subset of $\{1, \dots, p\}$.
exactStep	logical. If the Armijo step includes the update of the random effects u or not.
exactDeriv	logical. If the exact derivate has been calculated or if the derivative for fixed random effects u has been calculated.
coefInit	starting values used in the algorithm for beta, theta and u
coefOut	list with estimates in the form required for the argument coefInit
convergence	integer giving convergence information. Each time maxArmijo was reached, convergence is increased by 2. If maxIter was reached, convergence is increased by 1.
nIter	number of outer iterations.
nIterPirls	number of pirls evaluation within the outer iteration. Pirls-Evaluation within the Armijo steps are not counted.
nfctEval	number of function evaluation. See value fctEval.
fctEval	vector of all function values calculated during the algorithm. It may be interesting if studying the convergence behaviour of the algorithm. Only if argument fctSave=TRUE
gradient	gradient of the objective function with respect to the fixed-effects coefficients
maxGrad	maximal value of the gradient which has to be close to zero for convergence.
maxArmijo	the maximal value of l used in each fixed-effects component.
control	see <code>lmmlassoControl</code>
resid	response residuals. See McCullagh and Nelder (1989).
pearResid	pearson residuals. See McCullagh and Nelder (1989).
respResid	response residuals. See McCullagh and Nelder (1989).
workResid	working residuals. See McCullagh and Nelder (1989).
devResid	deviance residuals. See McCullagh and Nelder (1989).
Var	conditional variance of the response at the current values. See McCullagh and Nelder (1989).
di	contribution of each observation to the deviance. See McCullagh and Nelder (1989).
gof	goodness-of-fit criterion. For family="binomial", it is the in-sample missclassification rate. For family="poisson", it is the Pearson X2 statistic. See McCullagh and Nelder (1989).
cpu	cpu time needed for the algorithm.

Author(s)

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References

P. McCullagh and J. A. Nelder (1989), Generalized Linear Models, Chapman-Hall, London.

Examples

```
# (1) Use glmmlasso on the xerop data set
data(xerop)
fit1 <- glmmlasso(y=xerop$y,group=xerop$group,X=xerop$X,Z=xerop$Z,
                 family="binomial",covStruct="Identity",lambda=30)
summary(fit1)
plot(fit1)

# (2) Use the glmmlasso on a small simulated data set
set.seed(142)

N <- 40           # number of groups
p <- 6           # number of covariates (including intercept)
q <- 2           # number of random effect covariates
ni <- rep(10,N)  # observations per group
ntot <- sum(ni)  # total number of observations

group <- factor(rep(1:N,times=ni)) # grouping variable

beta <- c(0,1,-1,1,-1,0,0) # fixed-effects coefficients
X <- cbind(1,matrix(rnorm(ntot*p),nrow=ntot)) # fixed-effects design matrix
Z <- t(glmmer(rbinom(ntot,1,runif(ntot,0.3,1))~1+(1|group)+(0+X2|group),
             data=data.frame(X),family="binomial")@Zt) # random-effects design matrix

bi <- c(rnorm(N,0,2),rnorm(N,0,1))

eta <- X%*%beta + Z%*%bi
mu <- exp(eta)/(1+exp(eta))
y <- rbinom(ntot,1,mu@x)

# correct random effects structure
fit2 <- glmmlasso(y=y,group=group,X=X,Z=Z,family="binomial",lambda=50,
                 covStruct="Diagonal")
summary(fit2)
plot(fit2)

# wrong random effects structure
fit3 <- glmmlasso(y=y,group=group,X=X,family="binomial",lambda=50,
                 covStruct="Diagonal",random="(1|group) + (0+X2|group) + (0+X3|group)")
summary(fit3)
plot(fit3)
```

Description

Definition of various kinds of options in the algorithm.

Usage

```
glmmlassoControl(family, verbose = 0, maxIter = 200, number = 0,
CovOpt=c("nlminb"), fctSave = TRUE, a_init = 1, delta = 0.5,
rho = 0.1,gamm = 0, lower = 10^(-6),
upper = ifelse(family == "binomial", 10^5,10^3), seed = 418,
maxArmijo = 20, min.armijo = TRUE, thres = 10^(-4),
tol1 = 10^(-6), tol2 = 10^(-6), tol3 = 10^(-3), tol4 = 10^(-8),
gradTol = 10^(-3))
```

Arguments

family	a GLM family. Currently implemented are "binomial" (default) and "poisson".
verbose	integer. 0 prints no output, 1 prints the outer iteration step, 2 prints the current function value, 3 prints the values of the convergence criteria
maxIter	maximum number of (outer) iterations
number	integer. Determines the active set algorithm. The zero fixed-effects coefficients are only updated each number iteration. Use $0 \leq number \leq 10$.
CovOpt	character string indicating which covariance parameter optimizer to use. Currently, only "nlminb" is implemented
fctSave	Should all evaluation of the objective function be stored? It may help to identify the convergence pattern of the algorithm.
a_init	α_{init} in the Armijo step.
delta	δ in the Armijo step.
rho	ρ in the Armijo step.
gamm	γ in the Armijo step.
lower	lower bound for the Hessian
upper	upper bound for the Hessian
seed	set.seed in order to choose the same starting value in the cross-validation for the fixed effects
maxArmijo	maximum number of steps to be chosen in the Armijo step. If the maximum is reached, the algorithm continues with optimizing the next coordinate.
min.armijo	logical. If TRUE, the smallest l in the Armijo step is increased, as suggested in Tseng and Yun (2009). Otherwise l always starts with 0.
thres	if a variance or covariance parameter has smaller absolute value than thres, the parameter is set to exactly zero,
tol1	convergence tolerance for the relative change in the function value
tol2	convergence tolerance for the relative change in the fixed-effects parameters
tol3	convergence tolerance for the relative change in the covariance parameters
tol4	convergence tolerance in the PIRLS algorithm
gradTol	the tolerance for the gradient accepted without giving a warning

Details

For the Armijo step parameters, see Bertsekas (2003).

References

Dimitri P. Bertsekas (2003) *Nonlinear Programming*, Athena Scientific.

plot.glmlasso *Diagnostic Plots for a lmmlasso object*

Description

Plots four diagnostic plots for checking the model assumptions and supporting model selection for a glmlasso object

Usage

```
## S3 method for class 'glmlasso'  
plot(x, ...)
```

Arguments

x	a lmmlasso object
...	not used.

Details

plot.glmlasso shows four diagnostic plots which support checking the model assumption, model fit and may give hints for another model. 1) The first plot depicts the Tukey-Anscombe plot on the predictor scale. Points with the same color belong to the same group. 2) Plot depending on the GLM family. For family="poisson", the fitted values against the observed values is shown. For family="binomial", the Tukey-Anscombe plot on the response scale is depicted. 3) QQ-Plot of the predicted random effects. Be careful with the interpretation since the random effects have not been standardized. The color shows which points belong to the same random-effects covariate. 4) A histogram of the fixed-effects coefficients. For the interpretation of the Tukey-Anscombe plot in GLMs, see Faraway (2006).

References

Julian J. Faraway (2006) *Extending the Linear Model with R*, Chapman and Hall/CRC.

Examples

```
data(xerop)  
fit <- glmlasso(y=xerop$y, group=xerop$group, X=xerop$X, Z=xerop$Z,  
              family="binomial", covStruct="Identity", lambda=30)  
plot(fit)
```

```
print.glmmlasso      Print a short summary of a lmmlasso object.
```

Description

Prints a short summary of a glmmlasso object comprising information about the variance components parameters and the number of nonzero fixed-effects coefficients.

Usage

```
## S3 method for class 'glmmlasso'
print(x, ...)
```

Arguments

```
x          a glmmlasso object
...        not used
```

See Also

```
summary.glmmlasso
```

Examples

```
data(xerop)
fit <- glmmlasso(y=xerop$y,group=xerop$group,X=xerop$X,Z=xerop$Z,
  family="binomial",covStruct="Identity",lambda=30)
print(fit)
```

```
summary.glmmlasso      Summarize a glmmlasso object
```

Description

Providing an elaborate summary of a glmmlasso object.

Usage

```
## S3 method for class 'glmmlasso'
summary(object, ...)
```

Arguments

```
object      a glmmlasso object
...         not used.
```

Details

This functions shows a detailed summary of a glmmlasso object. In the fixed-effects part, (n) right from a fixed-effects coefficient means that this coefficient was not subject to penalization.

Examples

```
data(xerop)
fit <- glmmlasso(y=xerop$y,group=xerop$group,X=xerop$X,Z=xerop$Z,
  family="binomial",covStruct="Identity",lambda=30)
summary(fit)
```

xerop

Dataset of Xerophthalmia

Description

This is a subset of the Xerophthalmia data described in Diggle et al. (2002) and Zeger and Karim (1991).

Usage

```
data(xerop)
```

Format

A list with the following four components.

Binary response variable. If the child suffers from xerophthalmia.

grp Grouping variable comprising the child id.

X Fixed-effect design matrix. The first column is the intercept, then age, xero, cos, sin, sex, height and stunt. The covariates are all standardized with mean 0 and variance 1.

Z Random-effects design matrix for a random-intercept model.

Details

A detailed description of the covariates can be found in Diggle et. al. and Zeger and Karim (1991).

Source

<http://faculty.washington.edu/heagerty/Books/AnalysisLongitudinal/xerop.data>

References

Peter J. Diggle, Patrick Heagerty, Kung-Yee Liang and Scott L. Zeger (2002), *Analysis of Longitudinal Data*, Oxford University Press.

Scott L. Zeger and M. Rezaul Karim (1991), *Generalized Linear Models With Random Effects; A Gibbs Sampling Approach*, Journal of the American Statistical Association, Vol. 86, No. 413 (Mar., 1991), pp. 79-86.

Examples

```
data(xerop)
```

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